# **Material Classification using BRDF Slices**

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**Figure 1:** *Capturing a BRDF slice and applying a reflectance model improves material classification. Sample captured image, 1 of 64 (left), Classification based on single image (middle), Classification based on Hemispherical Harmonic coefficients (right)* 

#### Abstract

Segmenting images into distinct material types is a very useful capability. Most work in image segmentation addresses the case where only a single image is available. Some methods improve on this by collecting HDR or multispectral images. However, it is also possible to use the reflectance properties of the materials to obtain better results. By acquiring many images of an object under different lighting conditions we have more samples of the surfaces Bidirectional Reflectance Distribution Function (BRDF). We show that this additional information enlarges the class of material types that can be well separated by segmentation, and that properly treating the information as samples of the BRDF further increases accuracy without requiring an explicit estimation of the material BRDF.

## 1. Introduction

Material type classification of images is a fundamentl building block of many important computer vision algorithms. It is also a useful tool in scientific applications ranging from environmental monitoring to art history. The simplest imaging source, which creates the hardest classification task, is a single grayscale image. Color and hyperspectral images provide more information, as do polarizing filters. We investigate a different source of additional information: the angular variation of reflectance. While color and polarization all deal with a single point sample from the surface's four dimensional BRDF, we capture a 2D slice of the BRDF, and show that this enlarges the class of material types that can be well separated. We also demonstrate how this information is best leveraged, comparing pixels by transforming the segmentation space using a BRDF model instead of raw measurements, achieving greater surface orientation invariance.

If an object is photographed twice from the same camera position, but with the light source in a different location, the resulting images may differ. This happens because the reflectance of many materials varies according to the incoming and outgoing light directions. For example, shiny objects exhibit specular reflections, and diffuse objects exhibit the cosine term modulation. This variation is described by the material's 4D Bidirectional Reflectance Distribution Function (BRDF), specifying the brightness observed in any outgoing direction (two dimensions) when light arrives from any incoming direction (two dimensions).

Capturing samples over the entire 4D BRDF can be impractical for many applications, requiring images from many locations at many lighting conditions. Such a process re-

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quires solving for the stereo correspondences between all cameras, but this is difficult without dense sampling which requires either many cameras (which may be too expensive) or a moving camera (which may be too time-consuming). A single fixed camera and different lighting conditions capture a 2D slice of the 4D BRDF. This relatively inexpensive process requires a modest amount of time and avoids the correspondence problem.

The BRDF slice provides two advantages over a single image. First, consider two pixels imaging different materials that appear similar under one lighting condition, but different under another. The BRDF slice aids in differentiating these materials, despite their occasional similarity. Second, consider two objects made of the same material which appear different due to their geometry (e.g. because one is angled to give a specular reflection, or the cosine term induces a brighter or dimmer reflectance). Here, the BRDF slice helps to identify these two objects as the same material by noting that their overall reflectance function has a similar shape.

Armed with a BRDF slice, material classification may be solved with a standard support vector machine (SVM) classifier. Rather than directly compare the brightness values in each dimension, we can transform the observed brightnesses to a new representation by fitting a parameterized partial BRDF model, covering just the 2D slice, and compare the resulting coefficients. We empirically evaluate this transformed representation against alternatives.

The principal contributions of this paper are,

- 1. A means to compare 2D BRDF slices acquired at pixels that is invariant to surface orientation
- 2. Integration of this technique into the application of material type classification, with an empirical evaluation of this technique against alternate methods

This paper is organized as follows: section 2 relates this research to prior work, section 3 details our technique of BRDF slice comparison and its application to material classification, and section 4 reports the results of an empirical evaluation against other methods. Section 5 discusses limitations of our technique, and section 6 concludes the paper.

## 2. Related Work

There has been a considerable amount of work in classifying materials with just a single image. This is a harder problem and, under unknown viewing and lighting conditions, becomes severely underconstrained for some materials. However, using statistical approaches to cluster similar materials has proved effective in handling such single image scenarios [12]. Another approach has been to exploit the reflectance properties of real world materials [4].

Additional information typically increases the number of materials that may be differentiated, for example using hyperspectral imaging [6] or polarizing filters [13].

The entire BRDF may be captured by a goniometer or similar apparatus, as in [10] [3], but this process requires registration between images. Without requiring registration, capturing thousands of lighting conditions from a single view allows good estimation of the BRDF of each material and classification into material types, which allows for applications such as BRDF editing [8], [9]. In contrast, we use only dozens of lighting conditions rather than thousands.

Hertzman et. al. develop an example-based approach to photometric stereo and material classification [7] [5]. They capture images under several lighting conditions of a scene with both a test object and a few reference objects of known geometry, and match the vector of brightnesses on the object to those on the test object. They use Euclidean distance between raw brightness values and nearest-neighbor search, whereas we compare the parameters of a partial BRDF model directly.

Similarly, terrain-type classification from satellite imagery has been performed using images from several view directions [1]. While these methods compare brightness values directly, we use an explicit BRDF model to compare pixels, without estimating a single BRDF for each material.

Material classification and image segmentation are related but distinct applications, both depending on the comparison of one pixel to another. Material classification typically treats each pixel independently, while image segmentation adds heuristics, such as enforcing that spatially contiguous areas are classified similarly unless separated by a strong edge detected in the images [11]. To explore the central question of pixelwise comparisons, we restrict our comparison to material classification rather than image segmentation.

Many classifiers consider texture descriptors for the neighborhood surrounding a pixel, while we examine only a single pixel to isolate the pixel-comparison metric. Neighborhood descriptors may be extended to included BRDF measurements at each pixel. Alternatively, rather than considering a neighborhood of pixels, each with a BRDF, a Bidirectional Texture Function may be used which incorporates spatial information [3] directly at each pixel.

## 3. Algorithm

### 3.1. Experimental Setup

To acquire BRDF slices, we constructed a hemispherical dome encircling the target object. A camera at the center of the dome records many images, each lit by a different lamp. This produces an image stack, where each pixel collects information for several lighting conditions for each color channel.

One case where the surface orientation can greatly affect the resulting reflectance is in paintings. In many cases the surface orientation (from the thickness of paint or physical properties of the medium) will effect the appearance of the painting, due to specular highlights and the cosine term. We used a similar principal in our test datasets, except we constructed our examples in ways such that the correct segmentation should be more apparent to the reader than with real paintings. We constructed our example datasets out of images of painted, crinkled paper. Each object contains several paints which differ either in their color, in their BRDF, or both.



**Figure 2:** An object was placed at the center of a dome that can provide lighting from many directions. A camera captures many images of the object, each under a different illumination.

#### **3.2. Hemispherical Harmonics**

Each pixel in the captured image stack is fit independently to a 2nd order Hemispherical Harmonic (HSH) representation [?]. The HSH model is better suited to pixelcomparison for material classification than the more general Spherical Harmonic (SH) model which is used so extensively in computer graphics. The SH model is defined over a complete spherical coordinate system; its coefficients are likewise estimated based on measurements over the whole sphere, and it may be used to interpolate new values over the whole sphere. The HSH model, on the other hand, is defined only over the upper hemisphere, and its coefficients are estimated based only on measurements there.



Figure 3: Actual measurements (left) are interpolated with Spherical Harmonics (SH) (middle) and Hemispherical Harmonics (HSH) (right). Since measurements are available over only the upper hemisphere, the SH model extrapolates randomly over the lower hemisphere. This leads to many possible sets of coefficients which all match the upper hemisphere but have different coefficient values. The three rows show the BRDF slice fit separately to the red, green, and blue channels.



**Figure 4:** Attempting to perform classification of an object (*left*) by comparing Spherical Harmonic (SH) coefficients fails (middle), since the SH coefficients of similar materials may not be similar. Hemispherical Harmonic coefficients produce much more accurate classifications (right).

Since we restrict ourselves to opaque materials, input lighting measurements are only made over the upper hemisphere. When fit with these measurements, the calculated SH coefficients interpolate unpredictably over the lower hemisphere, as seen in Figure 3. Though this poses no difficulty for relighting in graphics, it means that many different sets of coefficients can produce similar interpolation across the upper hemisphere while giving different interpolation across the lower hemisphere. Thus, similar materials will not necessarily have similar SH coefficients. SH coefficients for two pixels cannot then be directly compared; instead monte-carlo integration on the upper hemisphere would be required. Since they are fit only by the set of measurements actually available, HSH coefficients are much more uniquely determined by the material's reflectance properties. Comparing the HSH coefficients of two pixels provides a good measure of BRDF similarity. As a result, performing classification with HSH coefficients leads to much more accurate classification than with SH coefficients, as seen in Figure 4.

#### 3.3. Our Algorithm



**Figure 5:** Measurements are rotated to the local surface reference frame. Before the measured BRDF slices of two pixels (left and right) can be effectively compared, the light directions must be rotated from the camera's reference frame (top) to the local surface reference frame (bottom).



**Figure 6:** Using the BRDF slices without accounting for surface normal orientation leads to incorrect results (middle). Rotating the light measurements to the surface reference frame improves the consistency of the estimated coefficients, resulting in better classification (right)

The input to our algorithm is an image stack captured as described in section 3.1, and a set of labeled regions on the image defining a small patch of each material type. Photometric stereo is applied to the image stack to estimate the normal direction at each pixel. The measured BRDF slice is used at each pixel independently to fit a second-order HSH

model, with each color channel treated separately (9 coefficients per color channel). For relighting purposes, the fitting would be done in the cameras reference frame. However, since we need to compare the coefficients directly, we want them to be invariant to the surface normal directions. The coefficients at each pixel should be expressed in that pixel's local surface reference frame. This is achieved by rotating all the incident lighting samples before fitting the HSH model, so that the surface normals are facing in the same direction, as in Figure 5. Once this extra step is performed, we can fit the Hemispherical harmonic model to the data. Failing to transform to the local surface reference frame leads to poor classifications, as in Figure 6.

We thus have two alternate representations of each pixel: either as a vector of brightnesses under different lighting directions, or as a vector of HSH coefficients. In both cases, the brightnesses or coefficients for each color channel are concatenated together into a single vector for each pixel.

The set of vectors within each labeled region is used to train a multi-class Support Vector Machine (SVM) with a radial basis function kernel [2]. For each data set and each descriptor, the labeled pixels are split into a training and validation set to perform parameter selection via grid search, and the optimal parameters are used to train an SVM using the entire labeled region. This SVM is then used to classify each unlabeled pixel. Each pixel is classified separately.

#### 3.4. Alternate Feature Vectors

We compared the algorithm using HSH coefficients as the feature vector to several simpler alternatives, which use the same SVM classifier but different data representations. The first is a single image from the image stack, giving a 3-element vector of the RGB color channels. A well-lit image was manually chosen in this case to improve the chances of correct segmentation. The second extracts the minimum, maximum, and median color for each pixel from the image stack, a 9-element vector. The maximum and minimum are calculated separately for each color channel, while the median color is found as the 3-dimensional value minimizing the summed L1-distance to other images, over all lighting conditions in the image stack. The third alternative uses the vector of brightnesses from the entire image stack directly. This is a 192-element vector (3 color channels, 64 images).

#### 3.5. Kernel Interpretation

Transforming each feature vector of brightnesses into a vector of HSH coefficients redefines the pixel-comparison metric. This is equivalent to using the original vector of brightnesses and applying a kernel within the SVM optimization. This "kernel trick" is often used to implicitly move a lowdimensional vector into a high dimensional space, so that point clouds which are not separable in the original space are separable in the kernel space.

We move to a lower dimensional space, but with the same goal. Our nonlinear transformation from brightness values to HSH coefficients creates a kernel space in which comparisons are made, in which we hope the different materials' point clouds are more easily separable.

## 4. Results

Five objects were imaged and classified as described in the previous section. Each object is made from white paper and several paints that vary in color and shininess, and is wrinkled to create a variety of surface orientations.

The classifications for each object, with each feature vector, were compared to hand-labeled ground truth to identify misclassified errors. Figure 7 reports the percentage of pixels wrongly classified. The HSH classifier consistently achieves higher accuracy than the alternative algorithms.

To better understand the types of classification errors made, consult Figure 8, showing classification errors visually. Classification with HSH coefficients is consistently the cleanest, and the single-image classification is consistently the noisiest.

Since specular reflections depend on the lighting direction and surface orientation, it is difficult for correct classifications to be gleaned from a single image, as seen in the noise of the second column, "single-image".

Two of the objects (the Blue and Black Rectangles and the Red and Black Stripes) are colored with four paints: two colors, in shiny and matte varieties. Notice that classification errors for these objects are nearly always show confusion between the shiny and matte versions of the same color. This is expected; obviously-different colors are easy to distinguish, but differences in specularity are more difficult to discern.

A few classification errors with the alternative feature vectors (though not with the HSH coefficients) are also made between one shiny color and the other shiny color, but never between one matte color and the other. Similarly, in the Red Circles, some classification errors are made between the shiny red paint and the white background. These errors indicate that the notion of "similarity" defined by these feature vectors includes both color and shininess. Whether this is desriable or not is application-dependent, but it is inevitable when such materials are imaged.

Importantly, the HSH coefficients represent the data well with only a 27-element vector (9 coefficients for each of

3 channels), fit from the 192-element vector of the image stack. Also noteworthy is the fact that the simpler nonlinear transformation of the image stack into the Minimum, Maximum, and Median values captures a surprisingly large amount of information, giving significantly better classification than a single image.

## 5. Limitations

This paper focuses exclusively on single-pixel classification, and depends on separable training sets. Spots of matte paint were inadvertently sprayed onto the shiny part of the object in figure 9, and this texture was used in both training and testing data. The resulting classification is not on par with the other objects. A classifier operating on neighborhoods of BRDF slices, or on BTF's, might better handle textures such as this.



**Figure 9:** An example where the our classification doesn't work well due to textured material.

Complex 3D structures will exhibit self-shadowing, which we have not addressed. To perform classification in the presence of shadows, a robust estimation of the HSH coefficients would be necessary.

Image segmentation builds on pixelwise material classification by adding heuristics to steer the resulting classification, for example by requiring spatially adjacent pixels to be classified similarly unless a strong edge is found between them. The pixel-comparison technique developed here could be readily integrated into such an image segmentation algorithm.

## 6. Conclusions

Acquiring a BRDF slice rather than a single image allows superior material classification. We have presented a method to compare per-pixel 2D BRDF slice measurements using a BRDF model, without explicitly assigning a full 4D BRDF to the material. This comparison technique was integrated into a material classifier which was empirically demonstrated to yield superior classification to alternative pixel comparison methods.

| Object                    | Single Image | Median-Min-Max | All Images | HSH |
|---------------------------|--------------|----------------|------------|-----|
| Black Circle              | 12%          | 2%             | 2%         | 2%  |
| Blue and Black Rectangles | 23%          | 18%            | 4%         | 4%  |
| Red Circles               | 20%          | 23%            | 14%        | 4%  |
| Red and Black Stripes     | 20%          | 17%            | 2%         | 2%  |
| Red Hi                    | 10%          | 25%            | 4%         | 2%  |

Figure 7: Percentage of pixels classified incorrectly by each algorithm



Figure 8: Comparisons of using single images, median-min-max, all images in the complete image stack, and HSH with our SVM classification.

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